



VL4Pose: Active Learning Through Out-Of-Distribution Detection For Pose Estimation

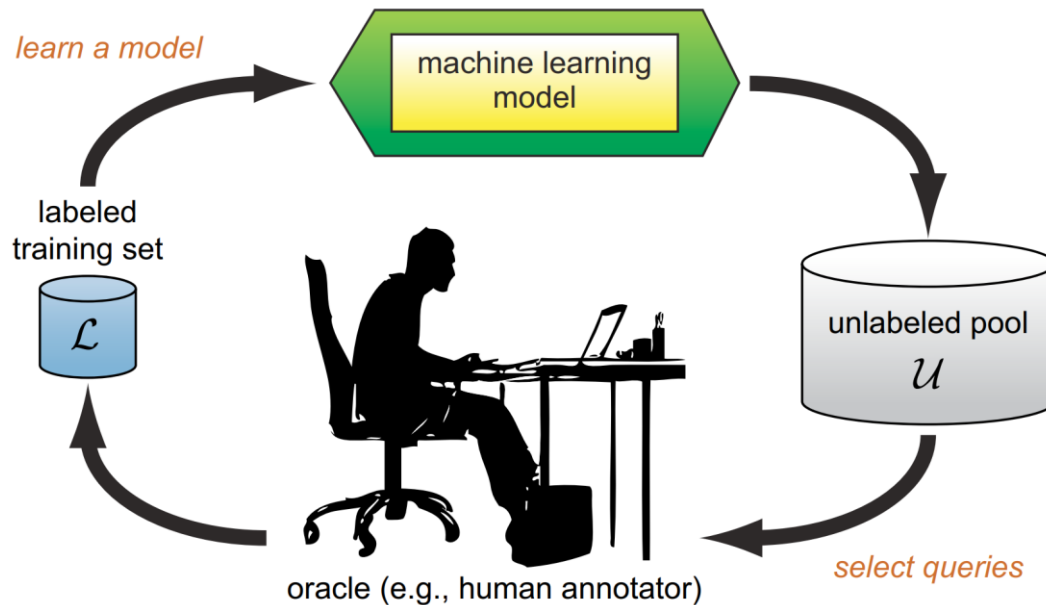
Megh Shukla
Roshan Roy *
Pankaj Singh *
Shuaib Ahmed
Alexandre Alahi

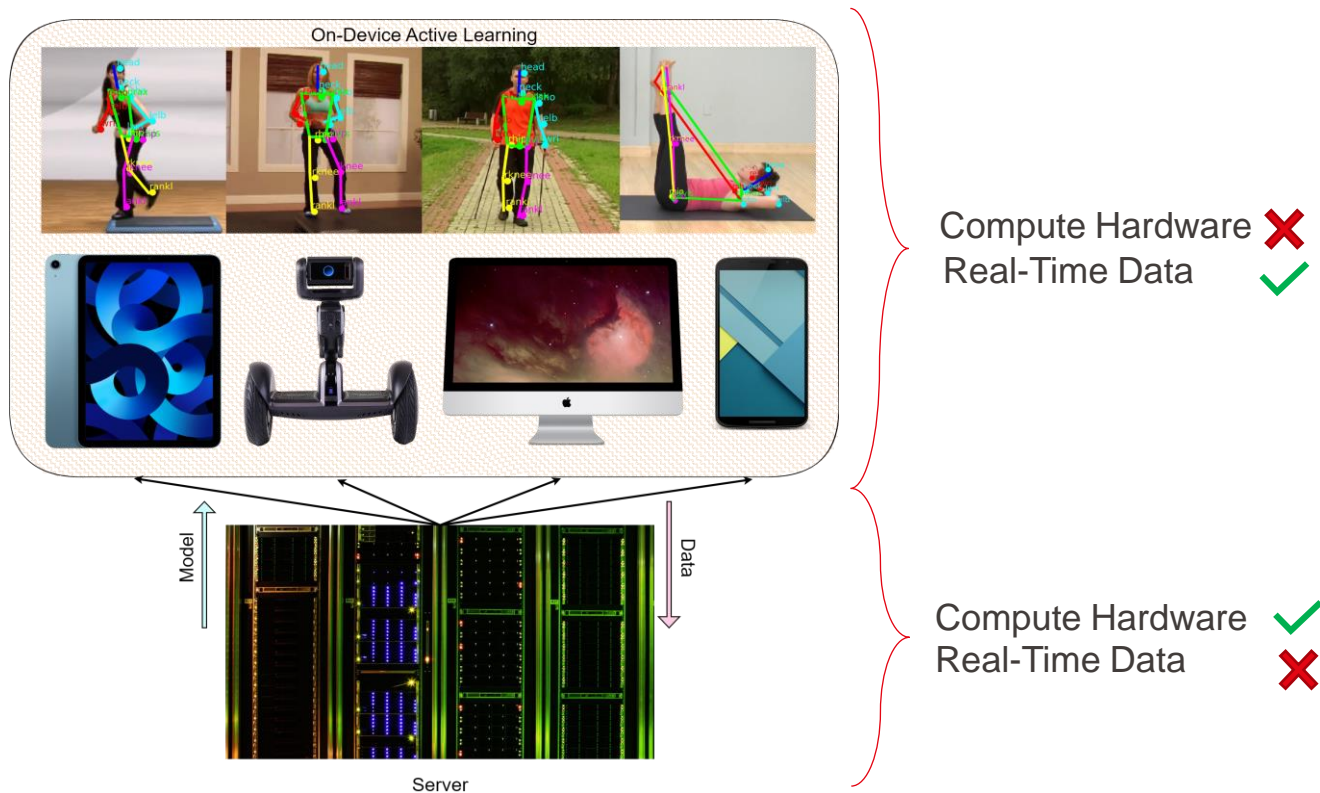


Researcher: Out-Of-Distribution For Pose Estimation?

Engineer: How can we improve
pose estimation in production?

Introduction







A Mathematical Analysis of Learning Loss for Active Learning in Regression

Megh Shukla ✉ Shuaib Ahmed
Mercedes-Benz Research and Development India

Sequential Graph Convolutional Network for Active Learning

Razvan Caramalau¹, Binod Bhattarai¹ and Tae-Kyun Kim^{1,2}
¹Imperial College London, UK
²KAIST, South Korea

Meta Agent Teaming Active Learning for Pose Estimation

Jia Gong¹ Zhipeng Fan² Qihong Ke³ Hossein Rahmani⁴ Jun Liu^{1*}
¹Singapore University of Technology and Design, Singapore; ²New York University, United States
³The University of Melbourne, Australia; ⁴Lancaster University, United Kingdom

VL4Pose: Active Learning Through Out-Of-Distribution Detection For Pose Estimation

Active Learning for Human Pose Estimation

Buyu Liu
University of Edinburgh

Vittorio Ferrari
University of Edinburgh

Bayesian Uncertainty and Expected Gradient Length - Regression: Two Sides Of The Same Coin?

Megh Shukla
Mercedes-Benz Research and Development India

Learning Loss for Active Learning

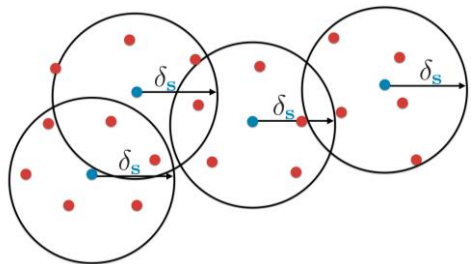
Donggeun Yoo^{1,2} and In So Kweon²

¹Lunit Inc., Seoul, South Korea.
²KAIST, Daejeon, South Korea.

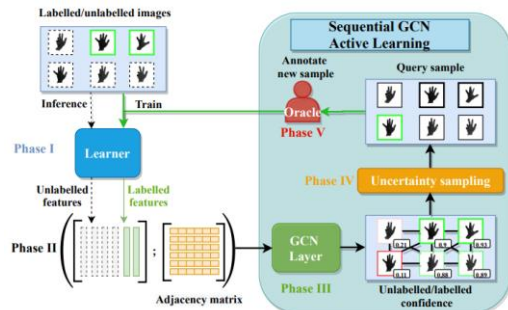
Active Learning for Bayesian 3D Hand Pose Estimation

Razvan Caramalau¹, Binod Bhattarai¹, and Tae-Kyun Kim^{1,2}
¹Imperial College London, UK
²KAIST, South Korea

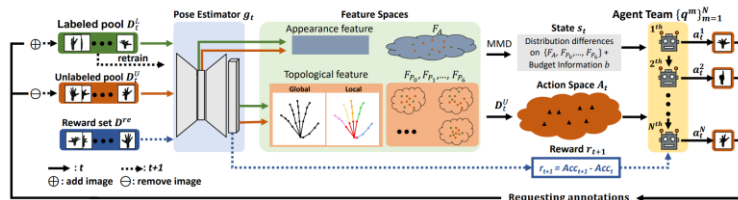
Related Work



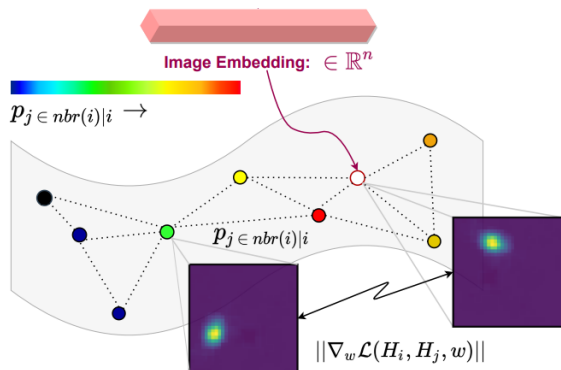
Sener and Savarese. *Active Learning for Convolutional Neural Networks*, ICLR 2018



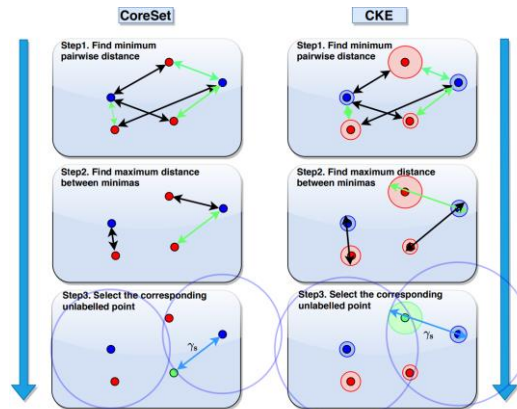
Caramalau, Bhattarai, and Kim. *Sequential graph convolutional network for active learning*, CVPR 2021.



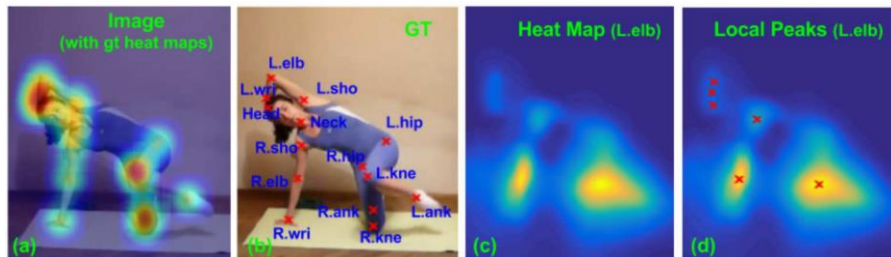
Gong, Jia, et al. *Meta-agent teaming active learning for pose estimation*. CVPR 2022.



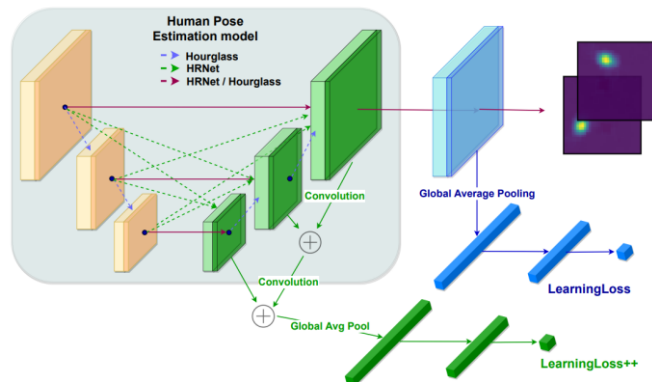
Shukla. *Bayesian Uncertainty and Expected Gradient Length – Regression: Two Sides of the Same Coin?*, WACV 2022



Caramalau, Bhattarai, and Kim. *Active learning for bayesian 3d hand pose estimation*, WACV 2021



Liu and Ferrari. *Active learning for human pose estimation*. CVPR 2017



Shukla and Ahmed. *A mathematical analysis of learning loss for active learning in regression*. CVPR Workshops 2021

Yoo and Kweon. *Learning loss for active learning*. CVPR 2019.

$$\text{Var}(\mathbf{y}) \approx \frac{1}{T} \sum_{t=1}^T \hat{\mathbf{y}}_t^2 - \left(\frac{1}{T} \sum_{t=1}^T \hat{\mathbf{y}}_t \right)^2 + \frac{1}{T} \sum_{t=1}^T \hat{\sigma}_t^2$$

Kendall and Gal. *What uncertainties do we need in bayesian deep learning for computer vision?*. NeurIPS 2017



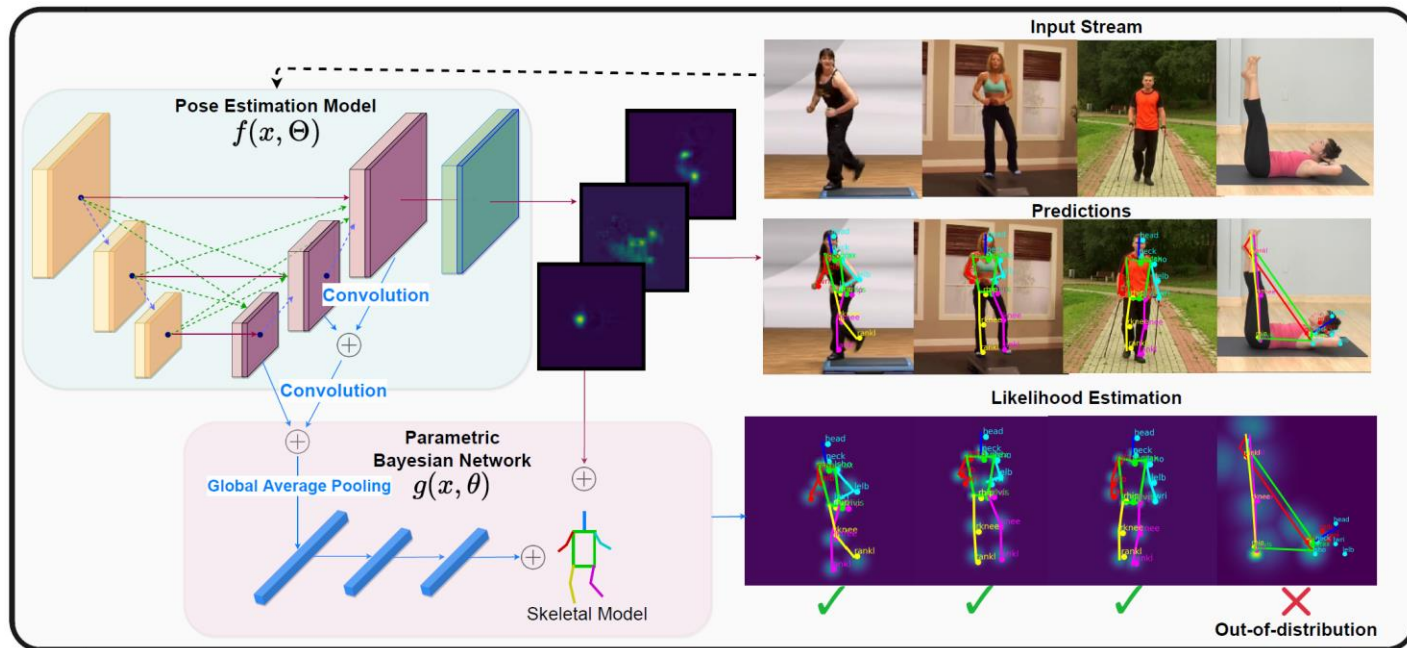
Methodology

VL4Pose: A First Principles Approach
to Active Learning for Pose
Estimation





VL4Pose: Intuition



Out-of-Distribution detection = Maximize likelihood of training distribution



VL4Pose: Likelihood

- Distribution over joints (Y_i)

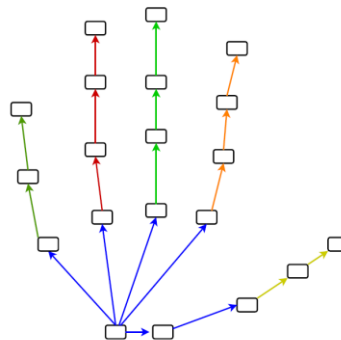
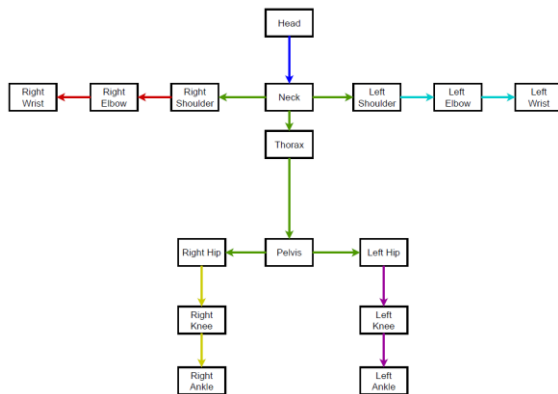
$$q_{BN}(y_1, y_2 \dots y_N | x, \theta)$$

- Applying Chain Rule

$$q(y_1 | y_2 \dots y_N, x, \theta) q(y_2 | y_3 \dots y_N, x, \theta) \dots q(y_N | x, \theta)$$

- Markov Blanket

$$q_{BN}(y_1, y_2 \dots y_N | x, \theta) = \left[\prod_{i=1}^{N-1} q(y_i | y_{i+1}, x, \theta) \right] q(y_N | x, \theta)$$





VL4Pose: *Expected* Likelihood

- But wait ... what if Y is a random variable given X ?
 - For instance in human pose ... $p_{pose}(Y) = p_{pose}(y_1, y_2 \dots y_N) = \prod_{i=1}^N p(y_i)$

- We get Expected Log-Likelihood!

$$\mathbb{E}_Y \left[\log q_{BN}(y_1, y_2 \dots y_N | x, \theta) \right]$$

- A bit of solving gives us:

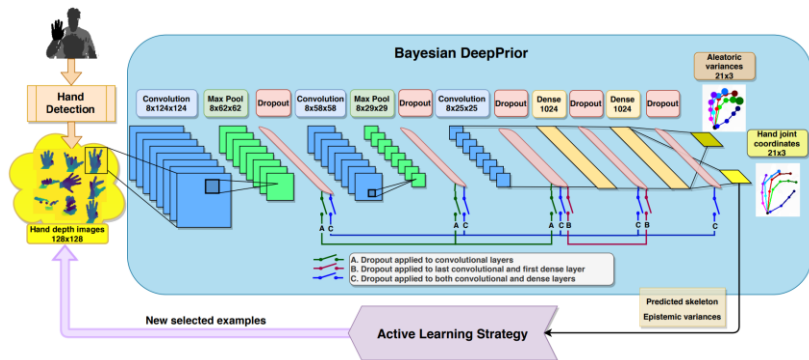
$$\sum_Y \left[p_{pose}(y_N) \log q_{BN}(y_N | x, \theta) + \sum_i^{N-1} p_{pose}(y_i) \log q_{BN}(y_i | y_{i+1}, X, \theta) \right]$$

Joint uncertainty

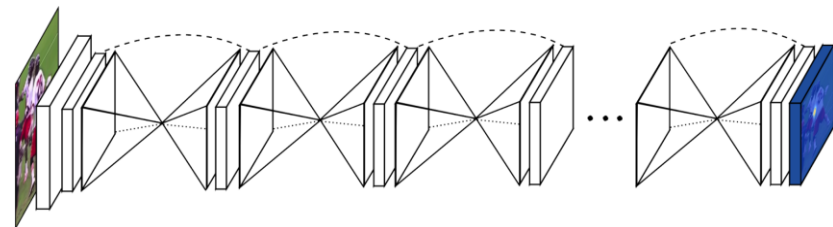
Pose uncertainty



VL4Pose: *Expected Likelihood*



Caramalau, Bhattarai, and Kim. *Active learning for Bayesian 3d hand pose estimation*, WACV 2021



Newell, Yang, and Deng. *Stacked hourglass networks for human pose estimation*. ECCV 2016

$$y_i \in \mathbb{R}^{\text{joints} \times 3}$$

$$q_{BN}(y_i | y_{i+1}, x, \theta) = \mathcal{N}(y_i - [y_{i+1} + \hat{\delta}_i], \Sigma_i)$$

$$p(y_i) = \{1 \text{ at ground truth location, } 0 \text{ otherwise}\}$$

$$h \in \mathbb{R}^{\text{joints} \times 64 \times 64}$$

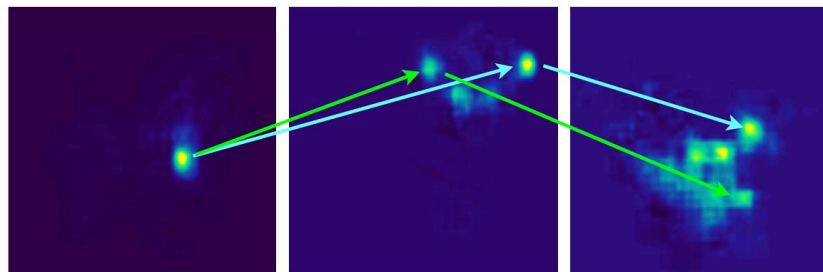
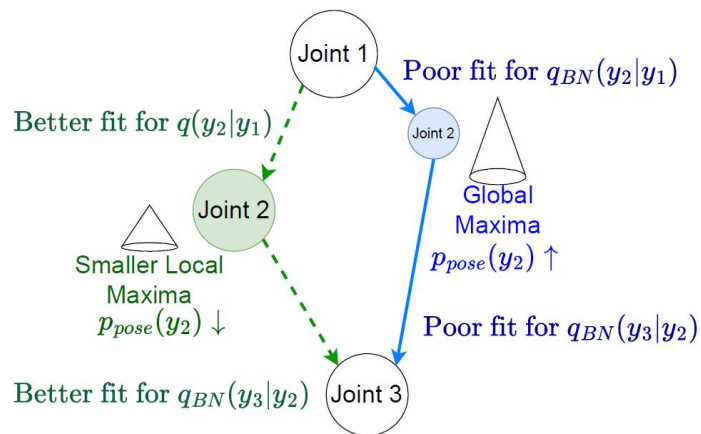
$$q(y_i | y_{i+1}, x, \theta) = \mathcal{N}(\text{dist}(y_i, y_{i+1}) - \hat{d}_i, \sigma_i)$$

$$\hat{p}(y_i) = \text{softmax}(\text{local_maxima}(h_i))$$



VL4Pose: Pose Refinement (Heatmaps)

$$\sum_Y \left[p_{pose}(y_N) \log q_{BN}(y_N|x, \theta) + \sum_i^{N-1} p_{pose}(y_i) \log q_{BN}(y_i|y_{i+1}, X, \theta) \right]$$



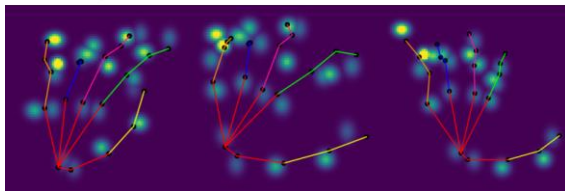
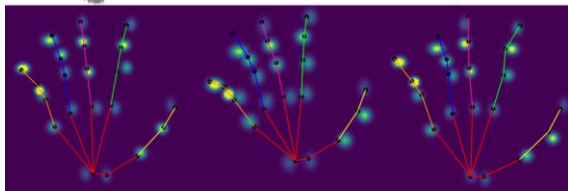
Interplay between p and q !

Results

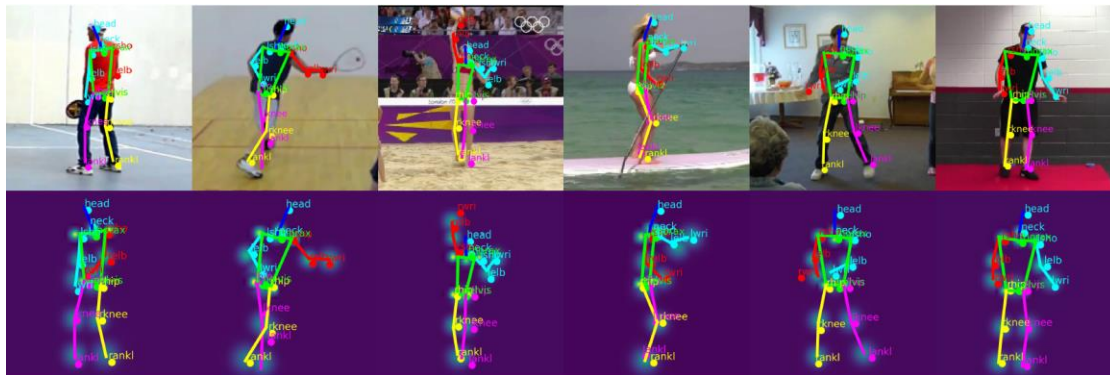
Qualitative and Quantitative Analysis



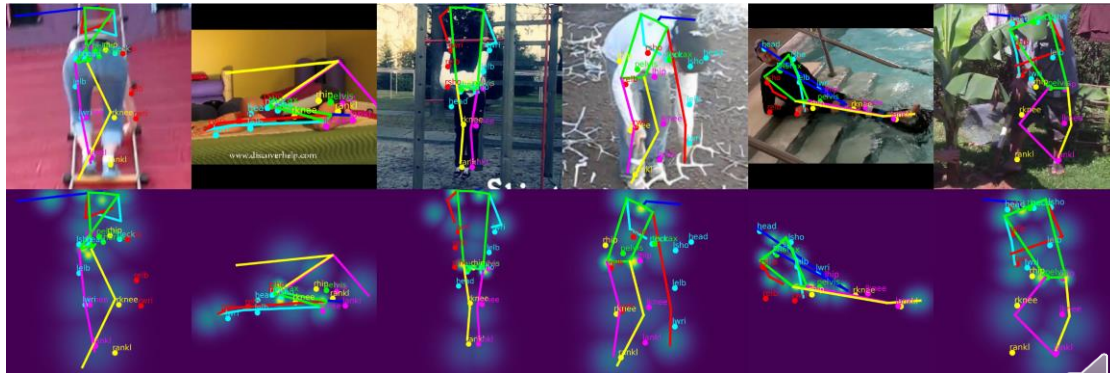
Qualitative Results



Maximum Likelihood

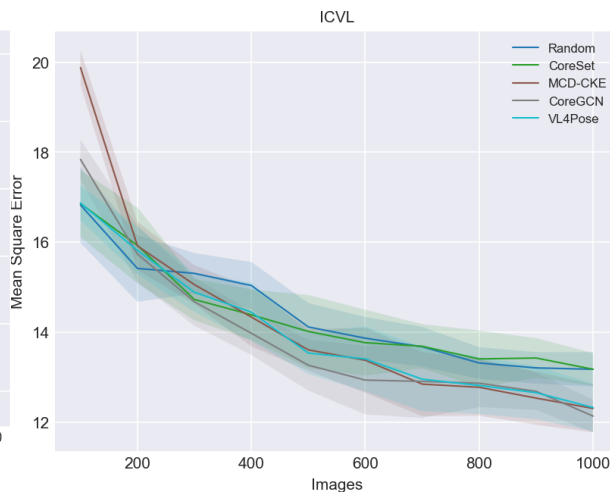
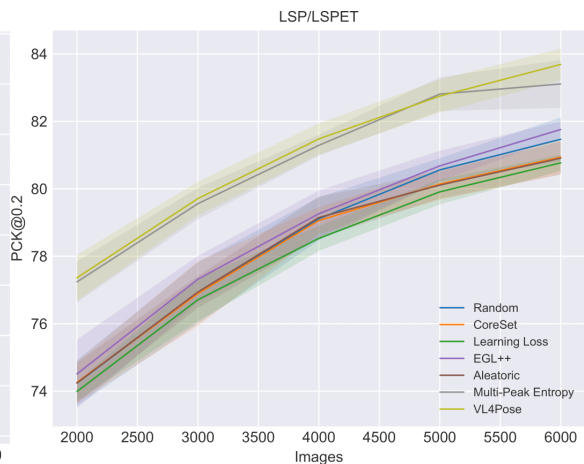
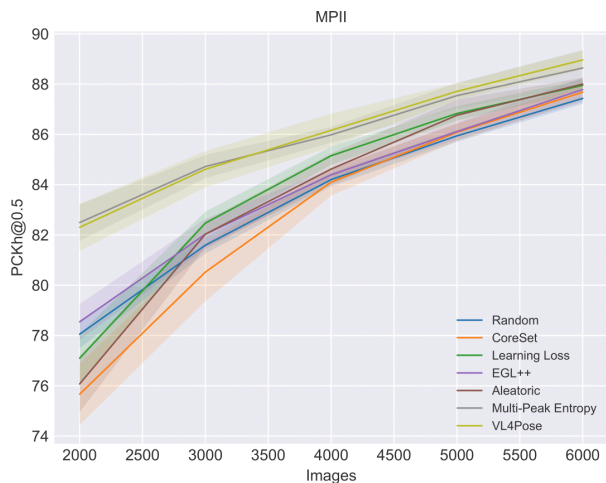


Minimum Likelihood



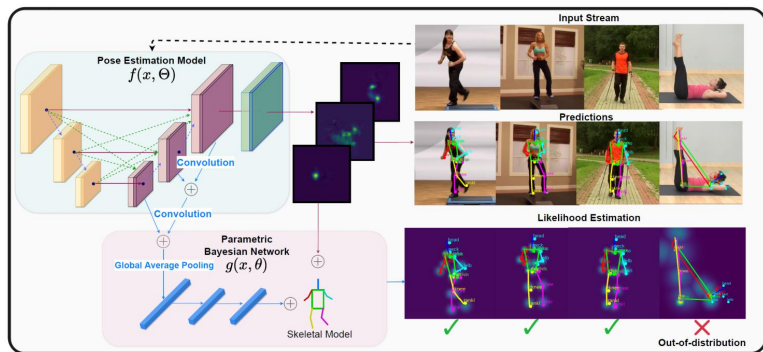
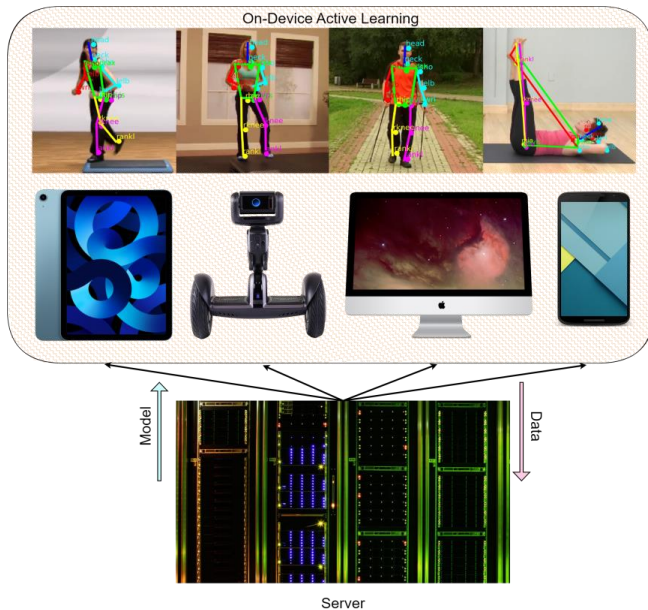


Quantitative Results



Pose Refinement





Conclusion

How far can simple domain knowledge take us?

1. Lightweight and real-time
2. Unifies joint and pose uncertainty
3. Tackles three problem statements
 1. Out-Of-Distribution
 2. Active Learning
 3. Pose refinement

